

# Photon Conversions in Delphes

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# Photon in matter

- number of photons surviving by traveling a distance "x" in material is given by:

$$N_{\gamma}(x) = N_0 \exp(-x / \lambda)$$

where " $\lambda$ " is the mean free path.

- probability of **NOT** converting after distance "x"

$$P(\text{not conv. after } x) = N_{\gamma}(x) / N_0$$

$$= \exp(-x / \lambda)$$

Poisson Law

$$p(n=0, x/\lambda)$$

# Algo ingredients

- probability of converting after distance " $\Delta x$ "

$$P(\text{conv. after } \Delta x) = 1 - \exp(-\Delta x / \lambda)$$

1) the material budget map can be provided via

$$\begin{aligned}\lambda^{-1}(r, z, \text{phi}) &= \text{average conversion rate per unit} \\ &\quad \text{length (m}^{-1}\text{)} \\ &= 7 / 9 * \rho / X_0\end{aligned}$$

2) the step length " $\Delta x$ "

# Algo (I)

- 1) propagate initial photon (at  $\mathbf{x}_0$ ) for a length  $\Delta x$ , and find coordinates of the position  $x_1$
- 2) read value of  $\lambda^{-1}(x_1)$ , and compute  $p_{\text{conv}}$
- 3) throw random number  $p$  in  $[0, 1]$
- 4) if  $p > p_{\text{conv}}$  keep propagating by starting again from 1)  
if not, convert photon is converted in  $e^+e^-$  pair.

At  $E \gg m_e$ , electron and positron are emitted colinear to initial photon

# Algo (II)

5) At  $E \gg m_e$ , electron and positron are emitted colinear to initial photon.

Only need to generate the energy fraction "x" that goes into each:

$$d\sigma/dx \sim 1 - 4/3 x(1-x)$$

→ generate  $x = x_1$ ,  $x_2 = 1 - x_1$

6) add new  $e^+ e^-$  to event record... That's it! Let Delphes do the propagation in magnetic field from now...

# In practice

```
#####  
# Order of execution of various modules  
#####
```

```
set ExecutionPath {
```

```
PhotonConversions  
ParticlePropagator
```

```
#####  
# Propagate particles in cylinder  
#####
```

```
module PhotonConversions PhotonConversions {
```

```
set InputArray Delphes/stableParticles
```

```
set OutputArray stableParticles
```

```
# radius of the magnetic field coverage, in m
```

```
set Radius 1.29
```

```
set HalfLength 3.0
```

```
set EtaMin -2.5
```

```
set EtaMax 2.5
```

```
# material budget map: (uniform for now)
```

```
# distribution of the detector mass ( density / X0), can be thought as  
# conversion rate per meter function of r,phi,z
```

```
# unit: m-1
```

```
set Step 0.001
```

```
set ConversionMap {
```

$\Delta x$

```
(abs(z) < 0.3 && r < 0.035 && r > 0.030) * (1.00) +  
(abs(z) < 0.3 && r < 0.065 && r > 0.060) * (1.00) +  
(abs(z) < 0.3 && r < 0.100 && r > 0.095) * (1.00) +
```

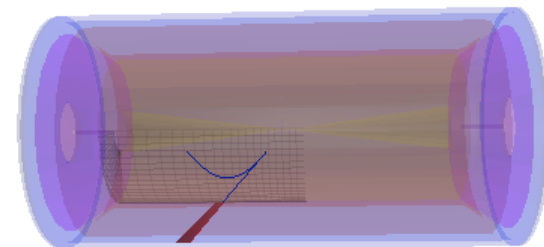
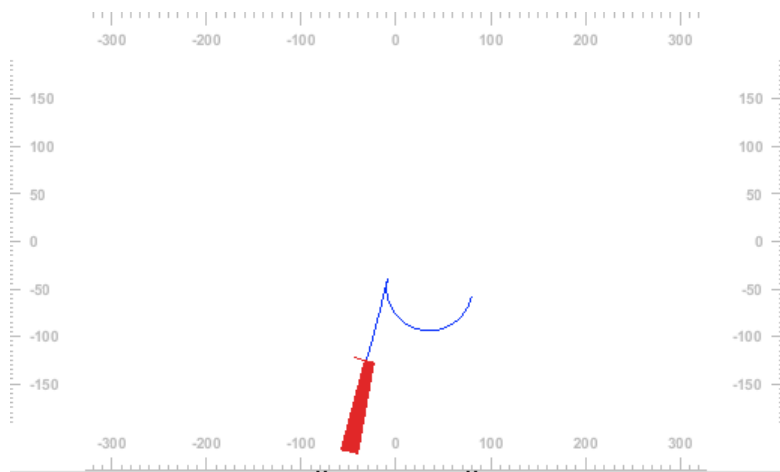
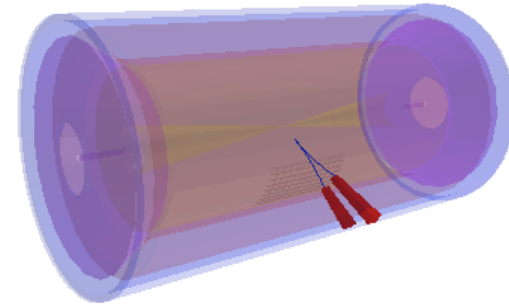
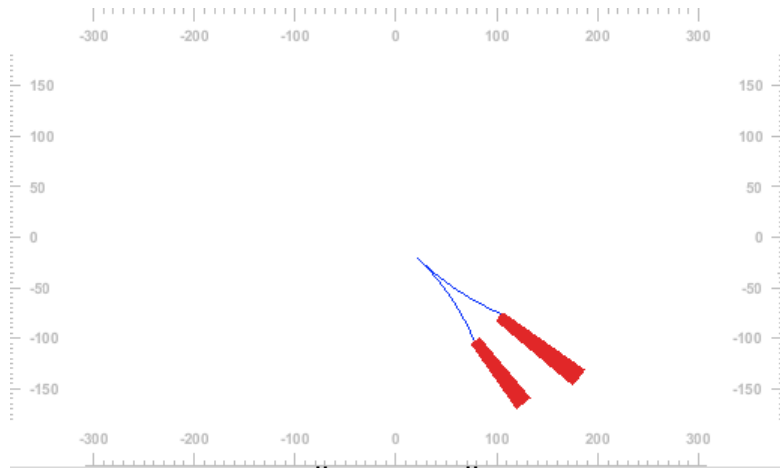
```
(abs(z) < 0.355 && abs(z) > 0.345 && r < 0.150 && r > 0.050) * (1.00) +  
(abs(z) < 0.455 && abs(z) > 0.445 && r < 0.150 && r > 0.050) * (1.00) +
```

```
(abs(z) < 0.7 && r < 0.205 && r > 0.195) * (1.00) +  
(abs(z) < 0.7 && r < 0.305 && r > 0.295) * (1.00) +  
(abs(z) < 0.7 && r < 0.405 && r > 0.395) * (1.00) +  
(abs(z) < 0.7 && r < 0.505 && r > 0.495) * (1.00) +
```

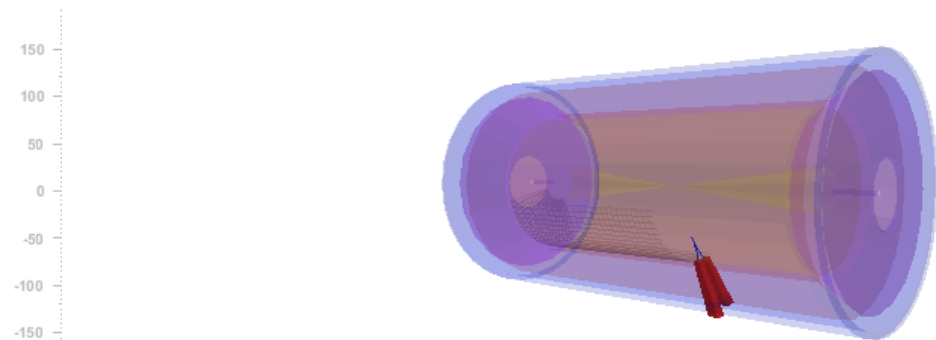
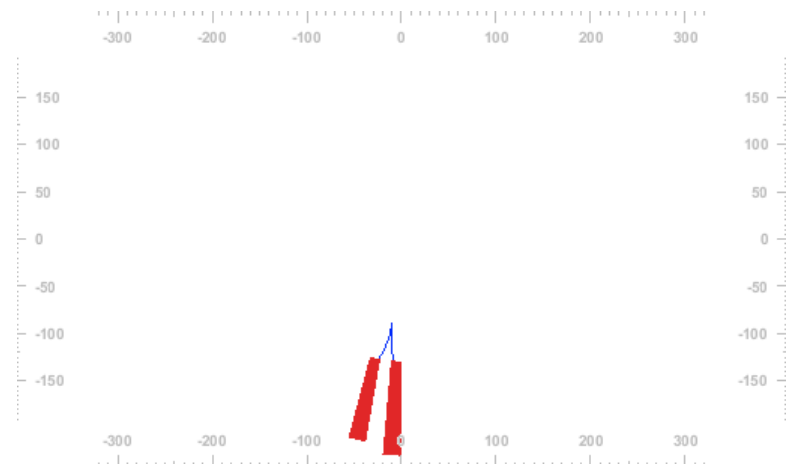
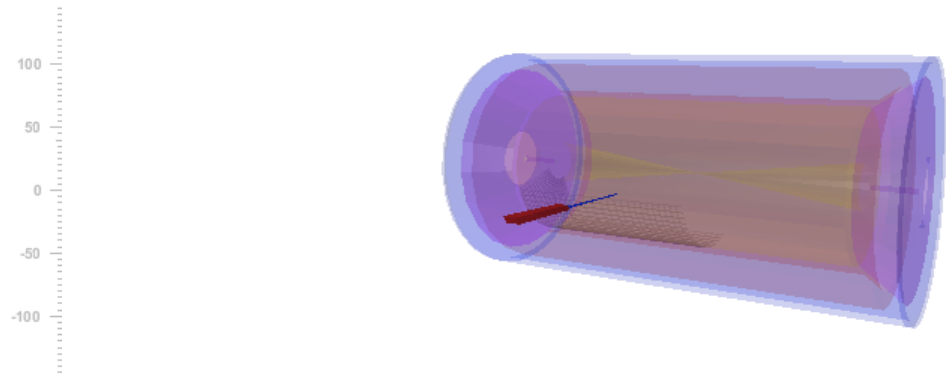
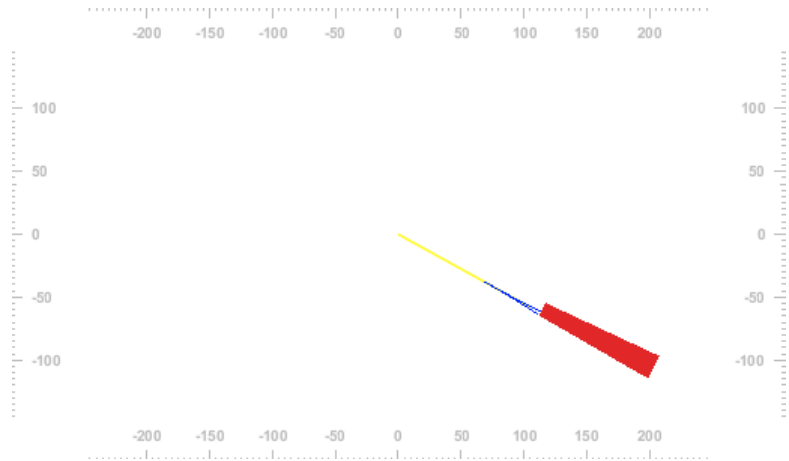
```
(abs(z) < 0.805 && abs(z) > 0.795 && r < 0.500 && r > 0.200) * (1.00) +  
(abs(z) < 0.905 && abs(z) > 0.895 && r < 0.500 && r > 0.200) * (1.00) +  
(abs(z) < 1.005 && abs(z) > 0.995 && r < 0.500 && r > 0.200) * (1.00) +
```

$\lambda^{-1}(r, z, \varphi)$

# Display (I)

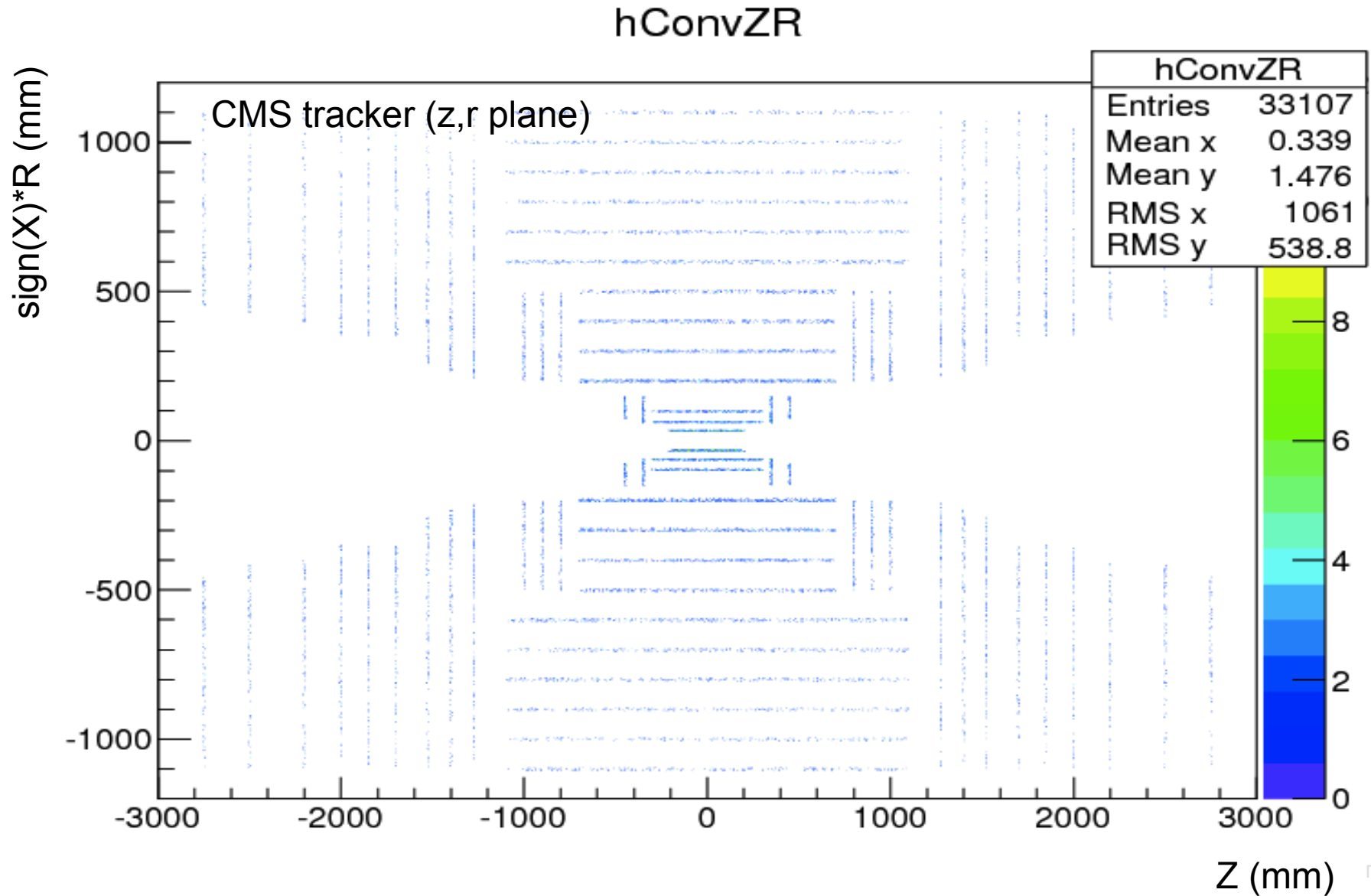


# Display (II)





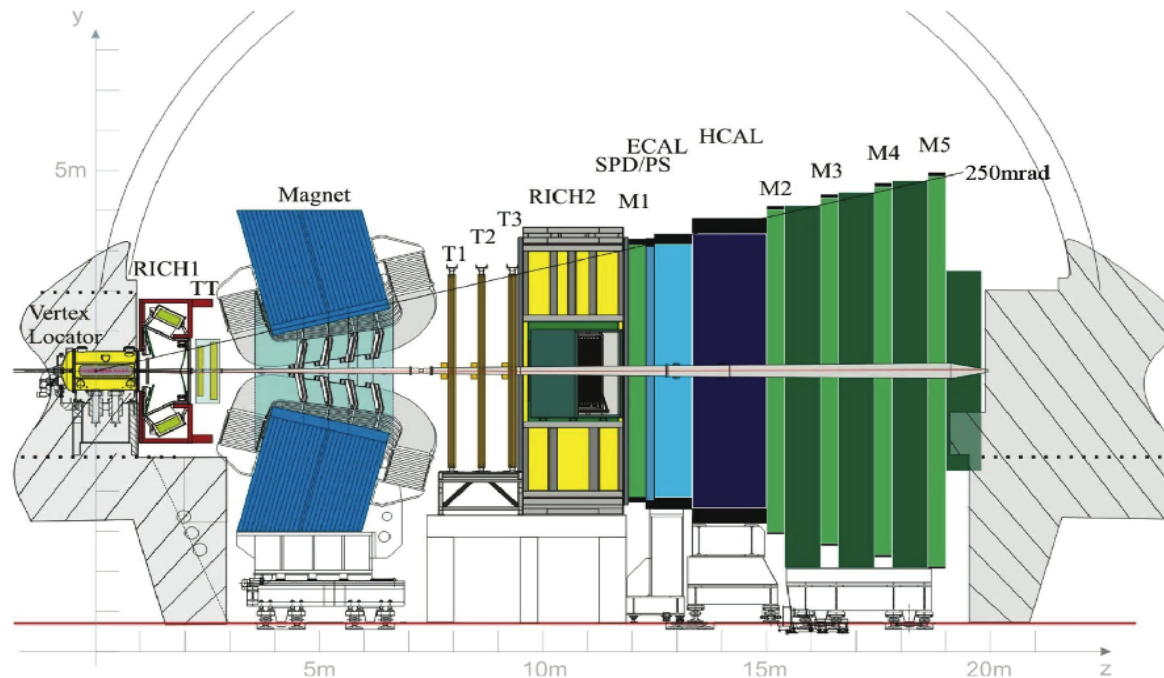
# Conversion Map



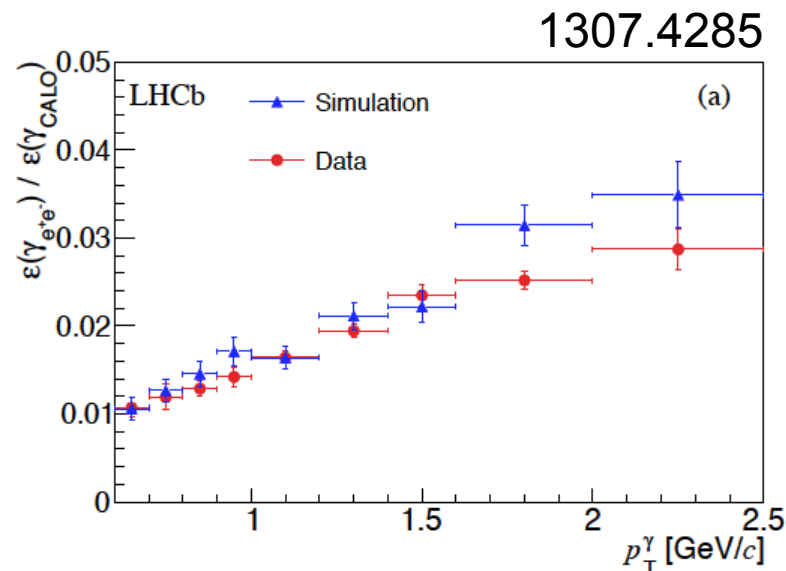
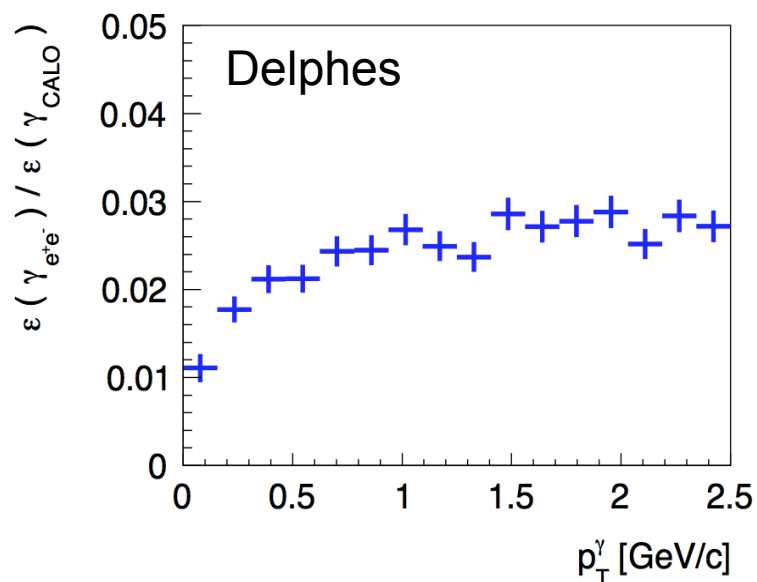
# Validation (LHCb)

- LHCb is good playground for conversions, because of non hermetic acceptance:

→ expect low momentum  $e^+e^-$  pairs from conversions in early stages of the tracker, to not make it to the calorimeters.



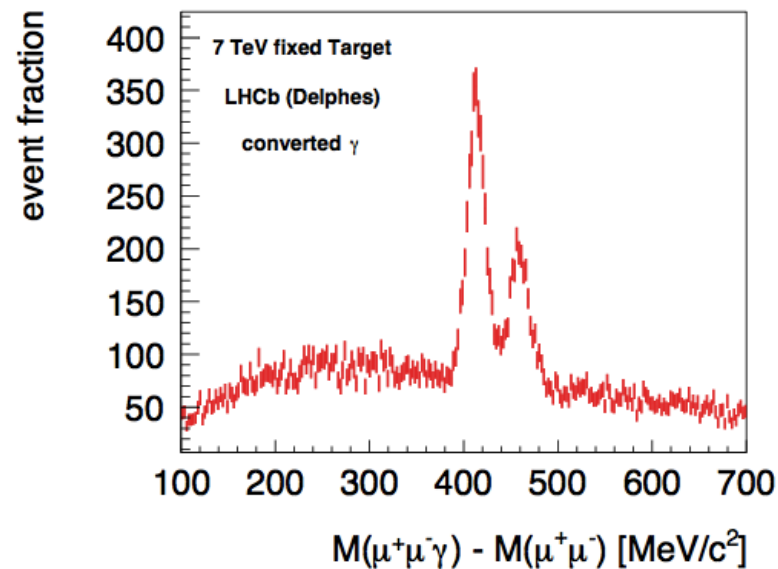
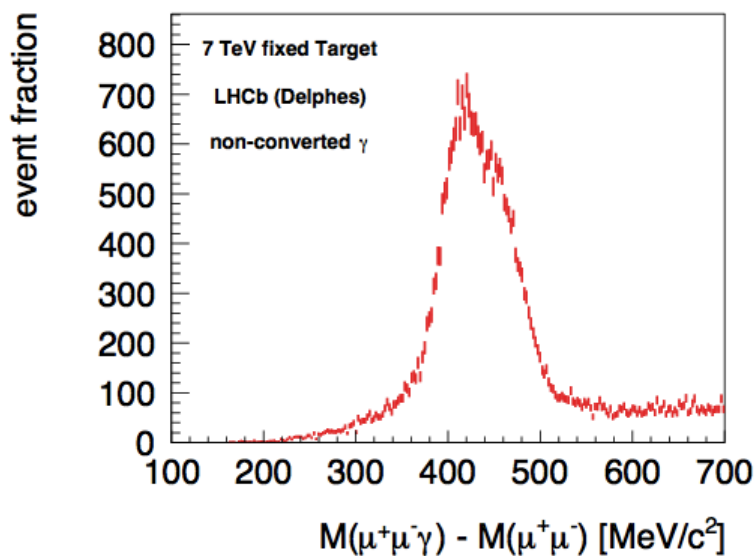
# Validation (LHCb)



- if assume flat calo photon efficiency, this is basically  $\text{eff}(e^+e^-)$
- reproduce efficiency loss at low  $p_T$ 
  - magnetic field drives ele. out of acceptance
  - less material, so less conversions overall (very small)
- convexity is wrongly reproduced ...

# Validation (LHCb)

- converted photons can be used to improve photon momentum resolution
- useful for resolving overlapping resonance ( $\chi_{c1}$ ,  $\chi_{c2}$ )



# Conclusion

- basic ingredients are there ...
- to have a more complete description we still need to account for a decrease in performance in the  $e^+e^-$  pairs reconstruction as a function of where the conversion occurred:
  - a possible approach would be to parameterize electron efficiency and resolution as a function of the track impact parameter (cf. Christophe).

We have all ingredients for that, but there are no public plots from collaboration for such parametrization.